

QUANTUM-INSPIRED MACHINE LEARNING ALGORITHMS FOR CLASSICAL COMPUTERS: EXPLORING QUANTUM PRINCIPLES TO IMPROVE CLASSICAL MACHINE LEARNING PERFORMANCE

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Abstract

Quantum computing has demonstrated substantial promise in revolutionizing computation which includes machine learning and exploiting of quantum principles like superposition and entanglement. This research explores the development of quantum-inspired machine learning algorithms that leverage quantum concepts, such as amplitude amplification and quantum parallelism, but are designed to run on classical hardware. We present an analysis of how effective and scalable machine learning models are inspired by quantum principles. We specifically look at methods like tensor networks, variational circuits that mimic quantum systems, and quantum-inspired optimization strategies. Our observations imply that these quantum-inspired models can significantly improve computing efficiency, optimization quality, and learning capabilities even though genuine quantum speedup is still unattainable for classical machines. This study further discusses potential applications and the future direction of hybrid quantum classical machine learning systems.

INTRODUCTION

Quantum computing has emerged as a potential game-changer in various fields, particularly in cryptography, simulation, and optimization problems. Data can be evaluated by quantum computers in ways that classical computers are unable to do by utilizing the concepts of quantum mechanics, such as superposition, entanglement, and quantum interference. For instance, compared to classical

algorithms, quantum algorithms such as Shor's and Grover's have shown exponential mathematical benefits of quantum computing to commonly accessible classical machines and quantum-inspired techniques, can help close the gap between classical and quantum computation.

1.2 Literature Review

speedups for particular tasks [1]. But large-scale applications are hindered by problems like noise, error correction, and limited qubit coherence, making current quantum hardware far from fully practical.

Due to these difficulties, experts have begun investigating the idea of "quantum-inspired" algorithms—that is, techniques that are based on quantum principles but are made to operate on classical hardware. These algorithms provide potential performance benefits in machine learning, optimization, and data processing applications because they imitate some characteristics of quantum computation without the need for quantum processors [2]. By implementing some of the exponential speedup as quantum algorithms. This study explores the possibilities of adapting and optimizing these algorithms for classical hardware. Numerous developments in quantum-inspired algorithms have demonstrated their potential to enhance traditional computational methods. Tensor networks, which were first created for quantum many-body physics, are important fields. They have been modified for use in conventional machine learning applications such as image identification and natural language processing. Tensor networks provide scalability by effectively representing high-dimensional data while reducing computational complexity [3].

Quantum-inspired optimization methods, like quantum annealing and variational algorithms, which apply concepts like phase estimation and amplitude amplification to classical problems, represent another considerable advancement in optimization techniques. These methods have been successful in enhancing model (machine learning) training procedures and resolving combinatorial optimization problems [4].

In addition, kernel-based machine learning models are affected by quantum inspired techniques. High-dimensional data can be managed more effectively with the help of quantum support vector machines (QSVM) and quantum-enhanced principal component analysis (QPCA), which provide classical techniques enhanced by quantum-inspired feature mappings [5].

Quantum-inspired algorithms are a significant advancement over classical machine-learning systems, even if they do not offer the same

quantum computers can handle enormous volumes of data in parallel, which speeds up some operations exponentially. Even while actual superposition is a phenomenon that can only be achieved on quantum hardware, probabilistic models, ensemble approaches, and kernel-based techniques can be used by conventional algorithms to emulate some features of this quantum behavior.

The concept needed in superposition is incorporated into quantum-inspired machine learning and can be done by approximating the various data points as a probability distribution over the states in the feature space of a higher dimension. For instance, in some applications, instead of having data points as individual vectors, providing both pragmatic implementation techniques and theoretical insights.

1.3 Research Objectives and Thesis Statement

Thus, the main purpose of the study is to explore new machine learning algorithms based on quantum mechanics with the purpose to significantly improve performance on classical computers. The idea for this research is based on a rather simple premise: that by applying quantum insights such as tensor networks or quantum annealing based optimization strategies to traditional machine learning algorithms can enhance their scalability, efficiency and predictive power.

The specific objectives of the project are to derive and implement quantum-inspired algorithms executable on the traditional computers, as well as to analyze and incorporate quantum concepts into the machine learning frameworks.

2. Research Design and Methodology

2.1 Quantum Principles for Classical Algorithms

2.1.1 Superposition and Quantum States

The idea of superposition, which allows a quantum system to exist concurrently in numerous states until it is viewed or measured, is one of the most profound ideas in quantum physics. Due to this capability,

This method's realistic use in quantum kernel is the characteristic of calculating the similarity among statistics factors in a function area suffering from quantum mechanics. The kernel characteristic can seize extra complicated interactions among statistics

factors by making use of superposition, which may also bring about higher overall performance in obligations related to class and clustering.

Additionally, the results of quantum superposition may be simulated by using strategies like variational quantum circuits and quantum-stimulated tensor networks to classical optimization issues. Decreasing the problem's dimensionality whilst retaining its essential properties, which results in we may use a superposition of vectors in basic machine learning operations such as clustering or classification. Such vectors, scaled by a probability or amplitude to show how confident one is in a particular state, can preserve several possible states for a particular piece of data. This makes it possible to evaluate several potential results at once and is most helpful if the data is not very distinct.

Mathematically, this can be modeled as:

$$\psi(x) = \sum_i \alpha_i |x_i\rangle$$

- $\psi(x)$ represents the state of the data point xxx in a superposition of multiple states.

- α_i are the coefficients (amplitudes) representing the probability or weight associated with each state $|x_i\rangle$

- The algorithm works by propagating these weighted states through the model and performing operations on the collective state, which allows better decision making.

and complex correlation algorithms, this concept can be recreated in ordinary machine learning, which improves the modeling of dependencies between variables in high-dimensional data [7]. Entanglement-inspired techniques can be useful to optimize scaling, representation learning, and feature selection.

The following concept can be copied in classical machine learning using advanced mathematical and probabilistic models. These dependencies between variables are captured and represented using probabilistic graphical models (PGMs), such as Markov random fields and Bayesian networks.

PGMs (Probabilistic graphical models), apply variable dependencies in a structured manner, increasing the scope of traditional statistical methods. Directed

acyclic graphs, for example, are used by Bayesian networks to represent conditional dependencies and are useful for capturing intricate probabilistic relationships [8]. A structure for modeling undirected dependencies is provided by Markov random fields (MRFs), which enhances the boom in the algorithms accuracy and computing efficiency.

Superposition in classical algorithms has numerous benefits, which includes improved generalization in studying obligations, improved resistance to noise, and improved flexibility in function representation.

Through the incorporation of those thoughts stimulated by implementing quantum mechanics, conventional systems can be capable enough to outperform their quantum counterparts. To enhance decision-making in tasks such as classification and grouping, quantum-inspired algorithms may use a weighted mixture of states in feature spaces [6].

2.1.2 Entanglement and Correlations

Entanglement represents deep correlations between quantum states, in which the state of one qubit directly influences the state of another, regardless of the distance between them. Using probabilistic graphical models

2.1.3 Quantum Parallelism and Tensor Networks

By exploiting the superposition of states, quantum parallelism allows quantum computers to perform several calculations at once. This parallelism in classical computers can be approximated by tensor networks, a class of mathematical structures employed in quantum physics. By breaking multi-dimensional arrays into smaller components, tensor networks, such as matrix product states (MPS) and Tree Tensor Networks (TTN), make large-scale machine learning tasks feasible for conventional hardware and less challenging [11].

2.2 Algorithm Creation and Application

2.2.1 Traditional Machine Learning with Tensor Networks

Tensor networks provide a methodical approach for handling large data sets by reducing and representing highly dimensional tensors. An approach used to reduce the dimensionality of the input data while maintaining significant feature relationships is the Tensor Train decomposition modeling of temporal

and spatial correlations [9]. Techniques inspired by entanglement enhance these models by using ideas similar to quantum entanglement. An extension of entanglement principles, for instance, can be observed in the application of deep generative models such as variational autoencoders (VAEs) and generative adversarial networks (GANs), where latent variables capture complicated, high-dimensional dependencies [10]. Through learning of compressed representations that maintain the data's inherent structure, these models enhance dimensionality reduction.

Computational efficiency, and scalability are significant performance metrics. Classification accuracy measures the degree that the models are able to recognize and classify images. Comparisons between training time, memory consumption, and total model size are used to evaluate computational efficiency. How well the models manage growing data dimensions and network complexity is the basis of assessing scalability. Based on preliminary findings, tensor network-based models offer better scalability and lower computational costs in addition to achieving classification accuracy that is on par with or better than CNNs. This shows that tensor network methods could provide significant advantages when managing extensive image classification tasks [13][14].

2.2.2 Quantum Annealing-Inspired Optimization

The technique of quantum annealing utilizes quantum tunneling to find the global minimum of a cost function in order to solve optimization problems. This strategy can be copied on classical computers through gradient-based techniques enhanced by simulated annealing and quantum-inspired heuristics. In order to optimize the training of deep learning models, this strategy could be applied which minimizes the loss function and prevent local minima [15].

2.2.3 Quantum-Inspired Kernel Methods

Numerous machine learning algorithms, such as support vector machines (SVM) and Gaussian method. The suggested technique is particularly beneficial for deep learning because of the possibility of an exponential increase in the parameter count with network size [12]. In this research, the effectiveness of tensor network-based models and

conventional convolutional neural networks (CNNs) for image classification tasks is examined.

Benchmark image classification datasets like MNIST and CIFAR-10 are used in the comparative analysis to assess convolutional neural networks (CNNs) and tensor network-based models. Accurate classification, are mapped into higher-dimensional dimensional spaces to enable hyperplane separation. Inspired by quantum feature mappings, we enhance classical kernel methods to attain higher performance on high-dimensional datasets such as those in finance and bioinformatics [16].

2.3 Data Collection and Experimental Setup

2.3.1 Datasets

The performance of tensor network-based models and quantum-inspired optimization techniques was assessed for this study using a number of benchmark datasets:

MNIST: This dataset is composed up of 70,000 - 28x28 pixel grayscale pictures of handwritten numbers. Since MNIST is straightforward to use and has been tested on a wide variety of models, it is frequently used to evaluate image classification algorithms. It offers a basic reference point for evaluating how well classification models perform [17].

CIFAR-10: This dataset consists of 60,000 color pictures divided down into ten groups, each containing 6,000 pictures. The 32x32 pixel photos feature a variety of objects, including cars, airplanes, birds, and cats. Due to its complexity and practicality in comparing and analyzing deep learning models, CIFAR-10 is widely used and recognized [18].

Financial Market Data: This comprises historical price information from different stock exchanges, processes, rely heavily on kernel techniques. Utilizing kernel techniques inspired by quantum mechanics, input data

indicators. It is applied to risk assessment and portfolio management tasks to evaluate the performance of optimization techniques inspired by quantum mechanics [19]. This dataset facilitates the assessment of the performance of quantum-inspired techniques on high-dimensional time-series data.

ImageNet: The ImageNet dataset, which includes over 14 million images in 21,000 categories, is used for more extensive image classification tasks. This dataset

serves as a common benchmark for assessing how well deep learning models handle a variety of large-scale and diverse image data sets [20].

2.3.2 Experimental Setup and Preprocessing

Standard preprocessing methods, such as feature scaling, data augmentation, and normalization, are applied to the datasets. The input data are transformed into high-dimensional tensors suitable for decomposition into tensor network models. Deep learning models undergo conditioning using quantum-inspired optimization techniques, and hyperparameters are optimized using Bayesian and grid search optimization [21].

2.4 Model Training and Evaluation

2.4.1 Training Process

A range of innovative techniques were used during the training phase of the quantum-inspired algorithms and tensor network models in order to maximize their performance. In order to guarantee effective convergence and address problems like vanishing or exploding gradients, adaptive learning rates were applied. Approaches such

High accuracy in classification is a sign of effective category differentiation. In cases in which there is an overall imbalance, additional metrics like precision, recall, and F1 score are used to present a broader view [22]. Mean Squared Error (MSE), which determines the average squared difference between predicted and actual values, was used as including the NASDAQ and NYSE. A variety of financial metrics are included in the dataset, such as trading volumes, stock prices, and other pertinent

as Adam and RMSprop dynamically modified the learning rate according to gradient statistics, resulting in quicker convergence and enhanced model efficiency. The main technique for optimization was stochastic gradient descent (SGD), which involves iteratively updating the model parameters using mini-batches of data. Compared to batch gradient descent, this method speeds up training and lowers computational load and variations such as Momentum and Nesterov Accelerated Gradient (NAG) boost convergence speed and stability even more.

Model parameters were optimized using simulated annealing, which was inspired by quantum annealing. Through mathematically accepting worse solutions in the early phases of training leads to avoidance of local minima and this technique iteratively refines solutions. As training advances to converge towards a global optimum, acceptance probabilities decrease. Project data was analyzed using quantum-inspired feature mappings, such as Quantum Feature Mapping (QFM), which improved classification accuracy and allowed for enhanced class separation. These mappings added more representational power by simulating the impact of quantum principles on classical data, such as superposition and entanglement.

2.4.2 Performance Metrics

A wide range of performance metrics that were specifically designed for the study's goals and tasks were used in the models' evaluation. The percentage of instances that were correctly classified out of every case is known as classification accuracy, which is the main metric used to evaluate the performance of image classification tasks.

CNNs, with fewer parameters and less processing power. More scalability was shown by the tensor network for CIFAR-10, especially when handling high-dimensional input data [26].

3.1.2 Compression and Scalability the key metric for regression tasks. Less deviation from true values is indicated by a lower MSE, which is a sign of improved prediction accuracy [23].

Optimization quality was important in quantum-inspired optimization tasks and was quantified by metrics like convergence speed and solution quality. While solution quality measures how well the best or nearly-best solutions were found, convergence speed measures how quickly the optimization algorithm reaches a stable solution. Other factors taken into account were the robustness of the solutions under different conditions and the value of the final objective function [24]. In order to better understand the trade-offs between model complexity and resource requirements, computational efficiency evaluated the models in terms of training time, memory usage, and computational resources. More efficient models are

indicated by lower computational costs with comparable performance [25].

3. Results

3.1 Tensor Network Performance

3.1.1 Accuracy and Computational Efficiency

Tensor network models proved higher accuracy compared to traditional deep learning models. On the MNIST dataset, the tensor network achieved a classification accuracy of 98.2%, which is comparable to

3.2 Quantum inspired optimization

3.2.1 Convergence Speed and Solution Quality

In contrast to other conventional techniques, quantum-inspired optimization algorithms converge far quicker, particularly when avoiding local minima. Quantum annealing-inspired methods for portfolio optimization in financial market data offer enhanced risk-adjusted returns and decreased volatility [31].

3.2.2 Application to High-Dimensional Data

When data features are very large, then the search space that has to be searched to find the solution can also be large and complex, in which case quantum-inspired optimization techniques perform Tensor networks demonstrated outstanding scalability and compression performance, leading to a significant reduction in the memory footprint needed for model computation and storage. In particular, while maintaining similar or even higher accuracy levels, tensor networks were able to achieve up to an 80% reduction in memory usage when compared to conventional models, such as convolutional neural networks (CNNs) [27]. Low-rank tensors, which capture key features with fewer parameters and less computational overhead, efficiently represent high-dimensional data which allows this significant compression [28].

The reduction of memory usage in such a way is quite beneficial especially in those systems that are restricted in terms of resources such as in mobile devices as well as edge computing platforms. Tensor networks ensure that deep learning models are implemented on devices with low memory and computational power by coming up with ways to reduce model size without compromising on the performance [29]. This is especially important in practice for those applications which are in real-time fashion, in which the memory

and computational power are constrained, as this approach makes the inference much faster than in the previous case reducing the consumption of resources as well [30].

general patterns as it will reduce the chances of over-learning and also to make the predictions to be more accurate [34].

Furthermore, the use of optimization methods inspired by quantum mechanics has been demonstrated to improve high-dimensional data management in real-world situations. The effectiveness of deep learning model training and combinatorial optimization problem solving is increased by methods like quantum gradient descent and quantum-inspired simulated annealing. To enhance forecast accuracy and minimize processing demands, these methods, for instance, can more quickly identify ideal feature subsets and parameter configurations in high-dimensional feature spaces [35]. remarkably well. Such techniques use ideas came from quantum mechanics like quantum tunneling to make better optimizers performance. Quantum tunneling allow the algorithm to get out away from the local optimum and search for more regions in the solution space; this is especially useful when dealing with high dimensions problems because traditional heuristic algorithms can easily be fooled into a global optimum [32].

Because of optimization processes that integrate the use of quantum-inspired heuristics, the algorithms increase flexibility to other general machine learning tasks in classification as well as regression. For example, the search methods derived from the simulation of quantum tunneling being able to identify the set of optimal points using rough localized loss surfaces to provide better performance in unseen data [33]. They are used to make models generate more

accuracy [37]. This improvement has been attributed to the ability of quantum-inspired kernels to recognize complex patterns and relationships in data which are often neglected by regular means. The improved feature mappings enable these models to better separate between classes in datasets having intricate background structures like protein-protein interactions networks or gene expression profiles [38].

3.3.2 Computational Trade-offs

The performance was enhanced by the quantum-inspired techniques; however, trade-offs with computation were also introduced. Longer training times due to the complexity of feature mappings required GPU acceleration and parallel processing to maintain high efficiency levels. These models performed better in tasks requiring high precision, like anomaly detection in financial data, despite these trade-offs [39].

4. Discussion

4.1 Implications for Classical Machine Learning

A breakthrough in machine learning was recently achieved by integrating quantum principles into classical algorithms. Although the capabilities of true quantum computers continue to be limited, 3.3

Quantum-Inspired Kernel Methods

3.3.1 Enhanced Feature Representation

Quantum-inspired kernel methods have significantly advanced feature mapping techniques, resulting in improved classification boundaries and enhanced model performance. These techniques provide a more complex and high-dimensional representation of the data by utilizing ideas from quantum mechanics. The classical kernel trick is extended by quantum-inspired kernels, which use quantum principles to map data into higher-dimensional spaces more complexly and precisely [36].

These quantum-inspired kernels boost the real-world application of high-dimensional bioinformatics data classification accuracy. With respect to classical kernel techniques, these models have shown 15% increase in

4.2 Comparative Analysis with Quantum Computing

Although quantum-inspired algorithms would bring substantial performance improvements without benefiting from an actual quantum hardware, real quantum apply to certain computational problems and have the reputation of delivering exponential speedups. They are practical results that extend beyond the realm of true quantum machines, which simplify classical computations using ideas from quantum computing [41].

By offering efficient solutions that closely resemble the benefits of quantum algorithms, quantum-

inspired algorithms close the gap between classical and quantum computing. For instance, to improve search procedures and solution quality, quantum-inspired optimization techniques make use of concepts like quantum annealing and amplitude amplification. These methods can perform noticeably better than classical heuristics, particularly in difficult situations with intricate and large search spaces [42]. These algorithms, which incorporate techniques like simulated annealing and gradient-based optimization enhanced with quantum-inspired heuristics, converge more quantum-inspired techniques provide the useful advantages that are currently available. These techniques improve optimization and scalability and enhance the handling of high-dimensional data. These algorithms advance the development of reliable and precise machine learning models for sectors such as finance, healthcare, and big data analysis [40].

does this by breaking down complicated, multi-dimensional tensors into smaller parts that are easier to handle; making them more memory efficient and scalable. Tensor networks are a useful structure to analyze enormous data and train deep learning models at large scales, with an efficiency comparable in practice (and not only formally) to quantum circuits [44][45].

4.3 Limitations and Future Directions of the Research

Quantum-inspired algorithms are capable of great things, but they have many limitations. Quantum speedup could be low if there is no real quantum parallelism, and by trying to emulate this on classical hardware we might suffer even more computational costs due to the usage of other (no quantum) principles. Further, the mathematical backgrounds of these Algorithms are still under research and require more study to fully fathom their potential and limitations. The future works will be to combine Hybrid quantum classical methods where the recently developed quantum hardware capabilities are added on top of quantum inspired algorithms [46].

5. Conclusion and Future Work

In conclusion, quantum-inspired machine learning algorithms present an exciting frontier for classical computing. This research demonstrates that even in the absence of fully developed quantum hardware,

quantum mechanics' underlying principles can be harnessed to push the boundaries of classical machine learning performance. From significant improvements in the scalability and efficiency of tensor networks to more accurate feature mapping through quantum-quickly than conventional optimization methods and navigate local minima with greater effectiveness [43].

In a similar manner, tensor networks are another system inherited from quantum physics but which turn out to be extremely efficient at handling big data sets. Regarding high-dimensional data processing with tensor networks such as matrix product states (MPS) and tree tensor networks (TTN), we can achieve reduced computational complexity. It inspired kernel methods, these innovations pave the way for more effective solutions in areas as diverse as finance, healthcare, and big data analysis.

Moreover, the work underlines the vast potential of quantum-inspired optimization techniques to address some of the most pressing challenges in machine learning today, particularly in handling high-dimensional data and avoiding local minima during model training. These techniques have the potential to revolutionize how we approach complex problems in machine learning, making the algorithms not only faster but also smarter in their approach to optimization.

5.3 Future Research Directions

Despite the promising outcomes, the research also highlights several areas for further exploration. Future studies should focus on refining tensor network architectures to optimize performance across specific machine learning domains and developing hybrid quantum-classical systems that can harness the evolving power of quantum hardware. Expanding quantum-inspired techniques to emerging fields like real-time decision-making, natural language processing, and autonomous systems will be critical to broadening the scope and impact of these algorithms. Enhancing the efficiency of quantum-inspired optimization methods for handling massive datasets will also remain a key area of focus, as well as further investigating the theoretical foundations of these approaches. Ultimately, the fusion of quantum and classical computational models will be instrumental in

shaping the next generation of machine learning algorithms.

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